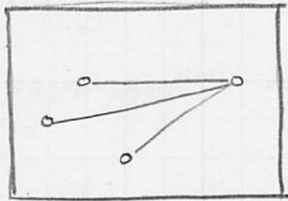
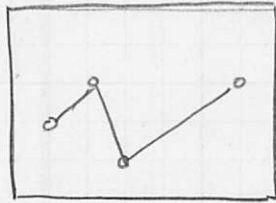


## SPANNING TREE

- ROUTE THAT CONNECTS ALL PINS AND IS A TREE
- MINIMUM SPANNING TREE IS A SPANNING TREE OF MINIMUM LENGTH



SPANNING TREE



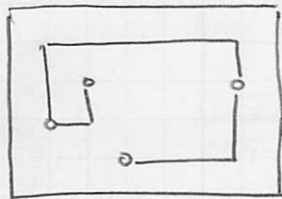
MIN SPANNING TREE

FINDING MIN SPANNING TREE IS  $O(p^2)$  USING CLASSIC ALGOS

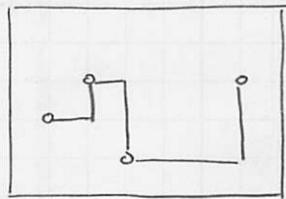
$$p = \# \text{ PINS}$$

## RECTILINEAR SPANNING TREE

- ROUTE THAT CONNECTS ALL PINS AND IS A TREE
- ONLY USES PIN TO PIN CONNECTIONS
- ONLY USE "RECTILINEAR" (MANHATTAN) ROUTING



RECT SPANNING TREE

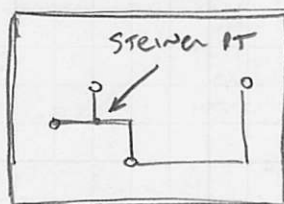


MIN RECT SPANNING TREE

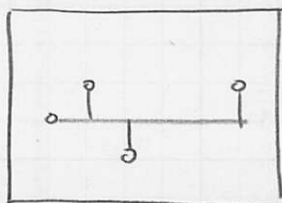
FINDING MIN RECT SPANNING TREE IS  $O(p^2)$  USING CLASSIC ALGOS

## RECTILINEAR STEINER TREE

- ROUTE THAT CONNECTS ALL PINS AND IS A TREE
- USES PIN-TO-PIN CONNECTIONS AND STEINER POINTS
- INTRODUCTION OF STEINER POINTS CAN REDUCE TOTAL WIRE LENGTH COMPARED TO THE RECTILINEAR MINIMAL SPANNING TREE



RECT STEINER TREE



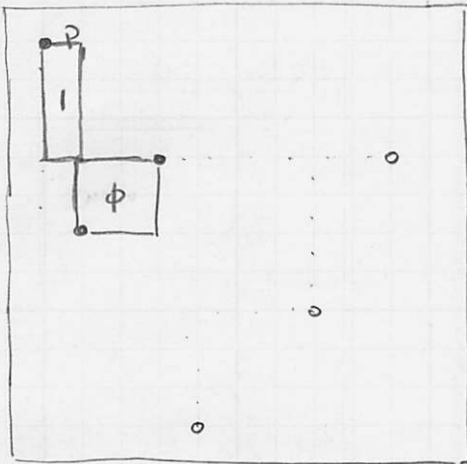
MIN RECT STEINER TREE

FINDING MIN RECT STEINER TREE IS NP-HARD NEEDS TO USE HEURISTIC ALGORITHMS

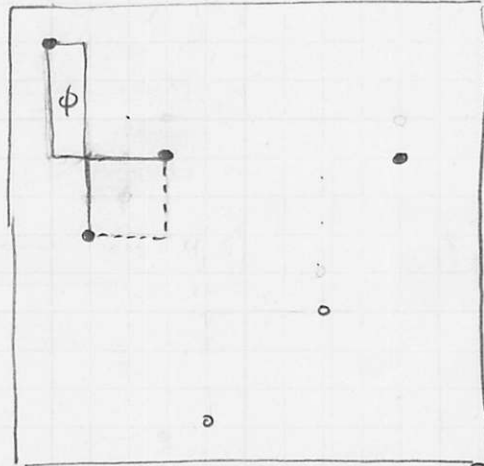
## HEURISTIC SEQUENTIAL STEINER TREE ALGORITHM

1. FIND CLOSEST PIN PAIR (IN TERMS OF RECTILINEAR DISTANCE)  
CONSTRUCT  $MBB_0$
- 2. FIND CLOSEST PIN (NOT PART OF THE TREE) TO A POINT ON  $MBB_0$ . CALL CLOSEST PIN NOT IN TREE  $P_1$ , AND CLOSEST ON  $MBB_0$ ,  $P_0$ .
3. CONSTRUCT  $MBB_1$  FROM  $P_0$  AND  $P_1$
4. ADD L-SHAPE IN  $MBB_0$  WHICH INCLUDES  $P_0$  TO THE TREE (DELETE OTHER L-SHAPE)
5. SET  $MBB_0 = MBB_1$
6. GOTO STEP 2

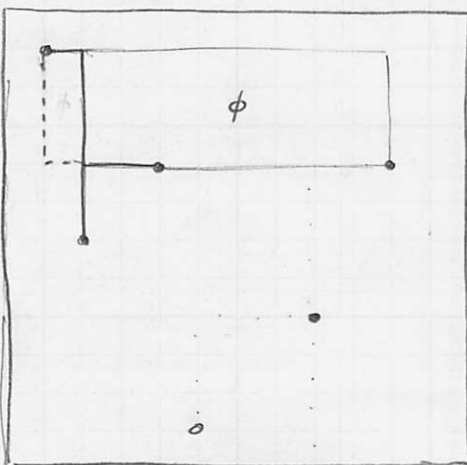
STEPS: 1, 2, 3



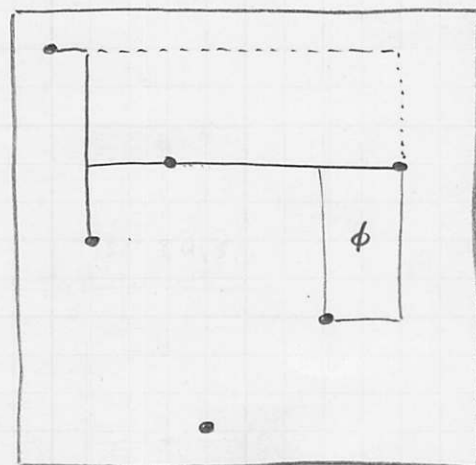
STEPS: 4, 5, 6, 2



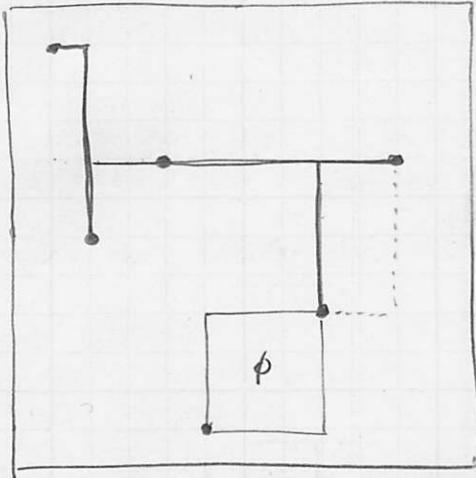
STEPS: 3, 4, 5, 6, 2



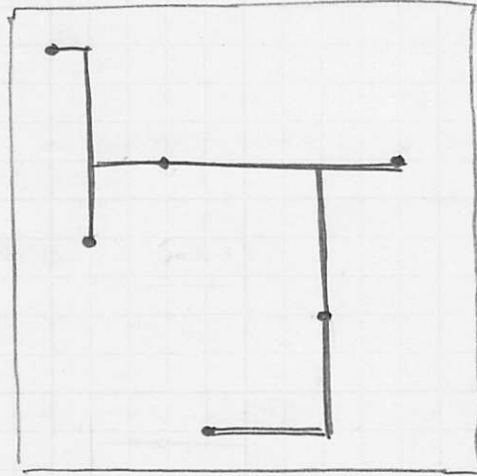
STEPS: 3, 4, 5, 6, 2



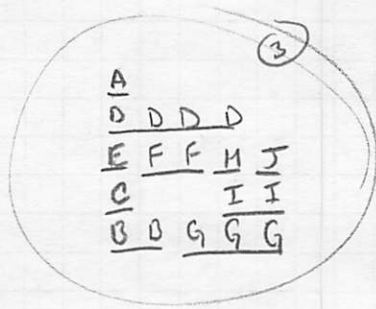
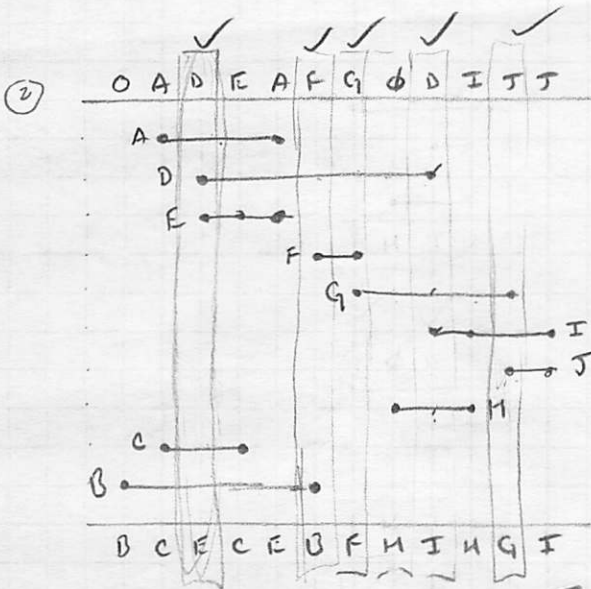
STEP: 3, 4, 5, 6,



SOLUTION



Horizontal Constraints



Vertical Constraints

